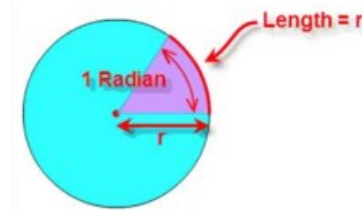


Trigonometry 1 – Hints & Tips

- Read the question carefully. θ
- **Draw a diagram every time** and label diagrams.
- Check the mode on your calculator – radians or degrees.
- Check for the format of your answer; e.g. in terms of π .
- Know how & when to round your answer – do not round early.

See Log Tables page 13, 14, 15, 16

A radian is the measure of the angle at the centre of a circle subtended by an arc equal in length to the radius.

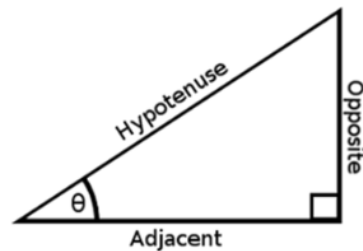


Degrees to radian formulae:	$180^\circ = \pi$ radians
	$360^\circ = 2\pi$ radians

Length of an arc and area within, where θ is the angle in radians:	$l = r\theta$
	$\text{Area} = \frac{1}{2}r^2\theta$

Right angled triangles page 16 of Tables

Pythagoras Theorem $hyp^2 = opp^2 + adj^2$



$$\sin x = \frac{\text{Opposite}}{\text{Hypotenuse}} \quad \cos x = \frac{\text{Adjacent}}{\text{Hypotenuse}} \quad \tan x = \frac{\text{Opposite}}{\text{Adjacent}}$$

SOH CAH TOA

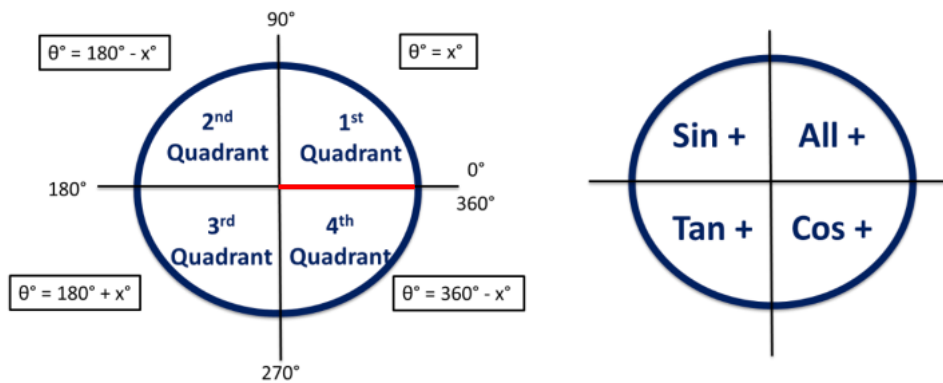
Silly Old Harry
Caught A Herring
Trawling Off America

Cosecant, Secant and Cotangent are the reciprocals of these and are given on page 13.

Sin, cos and tan for angles $>90^\circ$ page 13 of Tables

Sin, cos and tan have positive or negative signs in different quadrants of a circle.

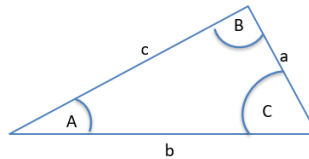
θ is the angle with the positive x-axis.



Triangles with no right angle

If there is no right angle, Pythagoras and SOH CAH TOA can't be used – different formulae are used.

- a, b, c are the lengths of the sides
- A, B, C are the angles
- A opposite a
- B opposite b
- C opposite c



Sine rule:
$$\frac{\sin A}{a} = \frac{\sin B}{b} = \frac{\sin C}{c}$$

Cosine rule:
$$a^2 = b^2 + c^2 - 2bc \cos A$$

Area of triangle:
$$\frac{1}{2} ab \sin C$$

Approach for Triangle questions:

- Start with the simplest formula
- Can Pythagoras be used (is it right angled)?
- Can SOH CAH TOA be used (is it right angled)?
- Can Sine rule be used?
- Can Cosine rule be used?